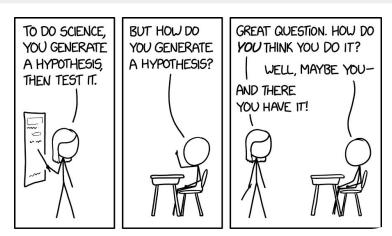
# What are hypotheses?



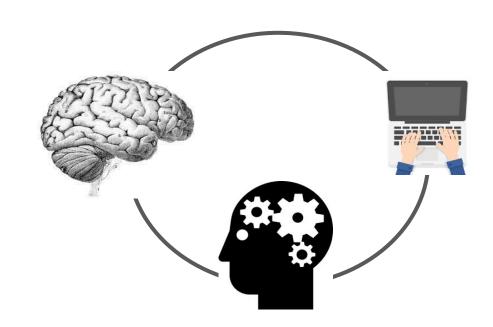
# Another quiz.

5m.

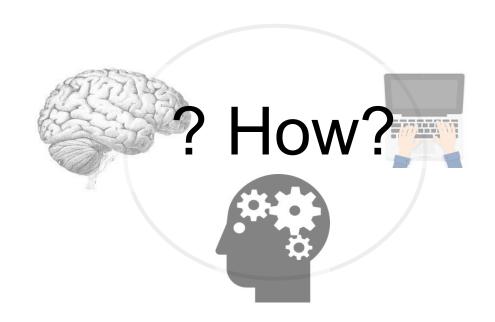
#### Learning goals

- 1. Situate hypothesis within the scientific method.
- 2. Learn about guidelines for hypothesis generation.
- 3. Refresh your understanding of hypothesis-testing.
- 4. Interpret evidence according to current scientific standards.

#### Cog. Neuro. unites the brain, cognition, and behavior

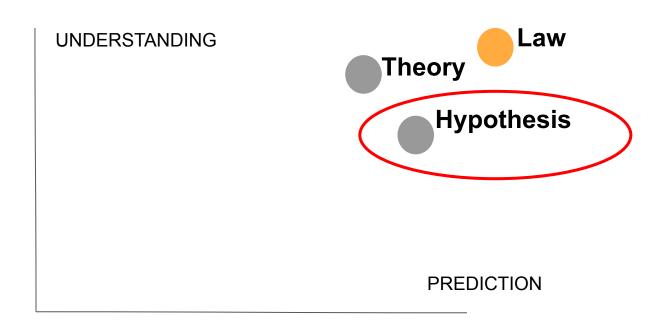


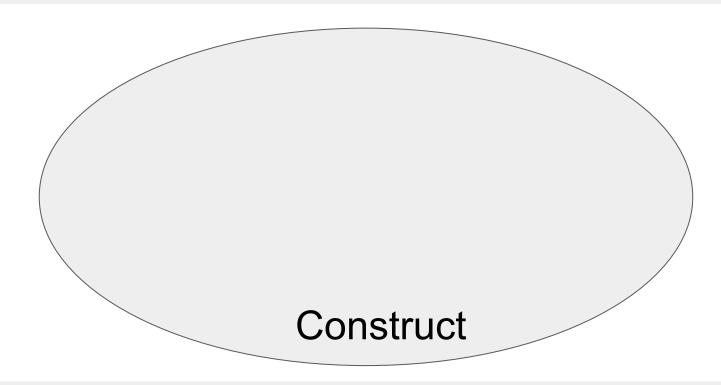
#### Cog. Neuro. unites the brain, cognition, and behavior

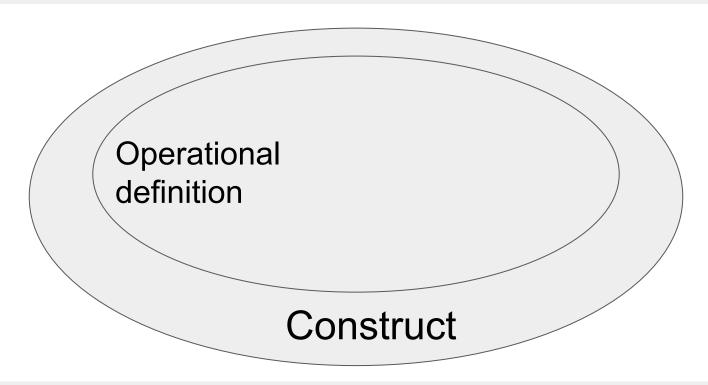


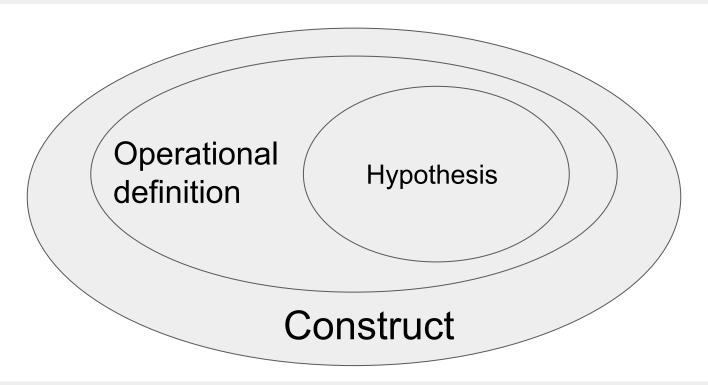
A hypothesis is a prediction tested with experimentation.

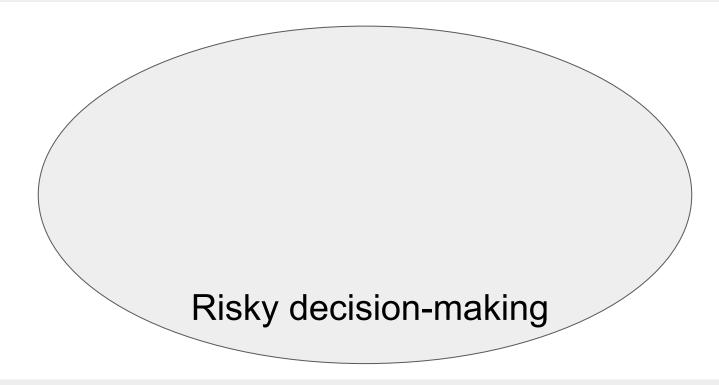
# Complementary trade-offs

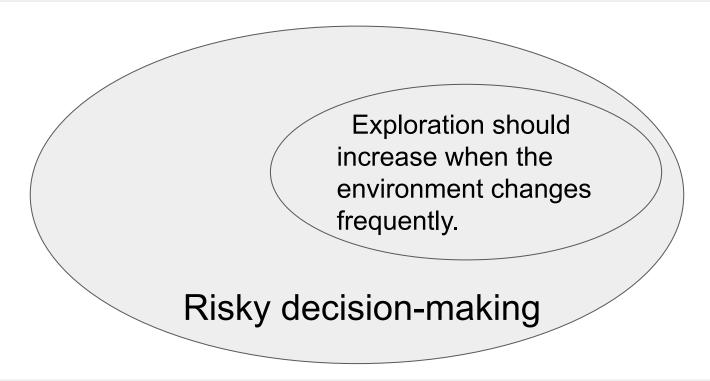


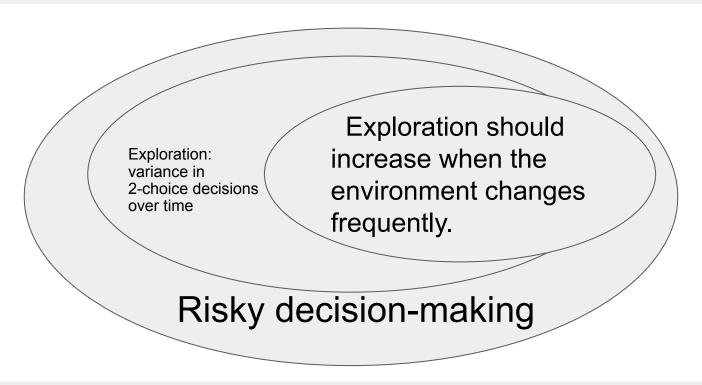


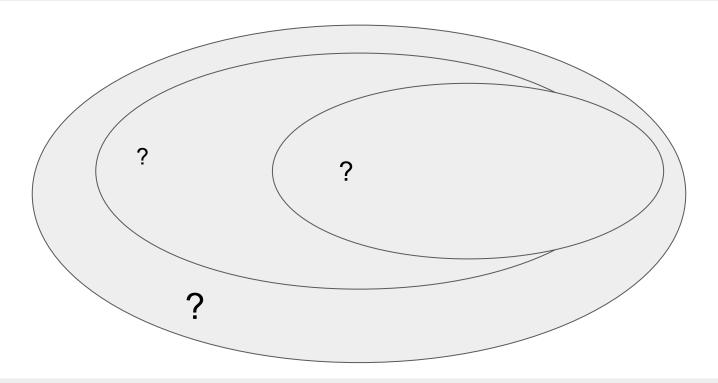




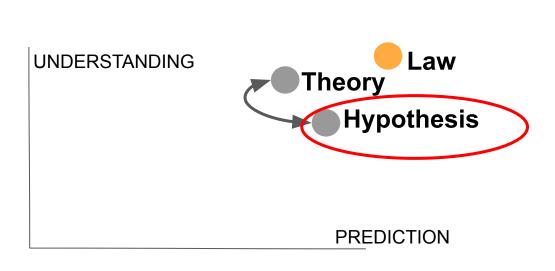








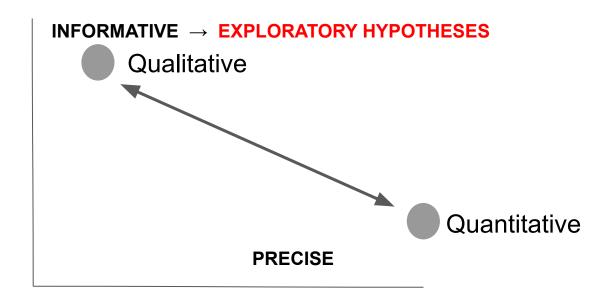
#### Hypotheses → Theory → Hypotheses...



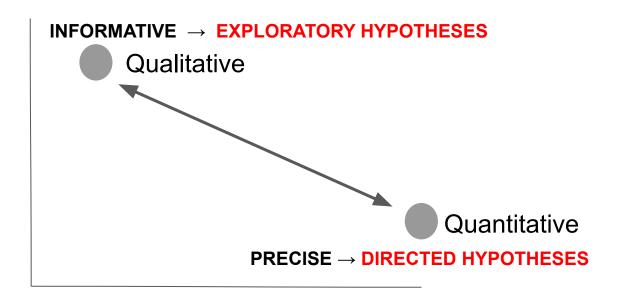
Theory emerges from repeated hypothesis evaluation. It serves 2 functions:

- Explains exp.
   observations in a systematic way
- Generates new knowledge by guiding new exp. hyp.

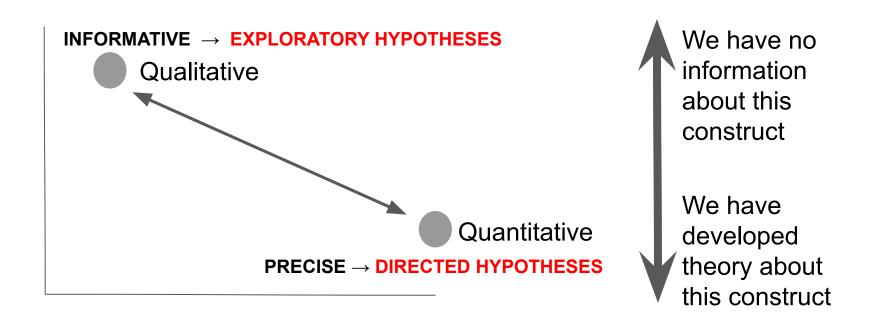
#### How specific should our hypotheses be?



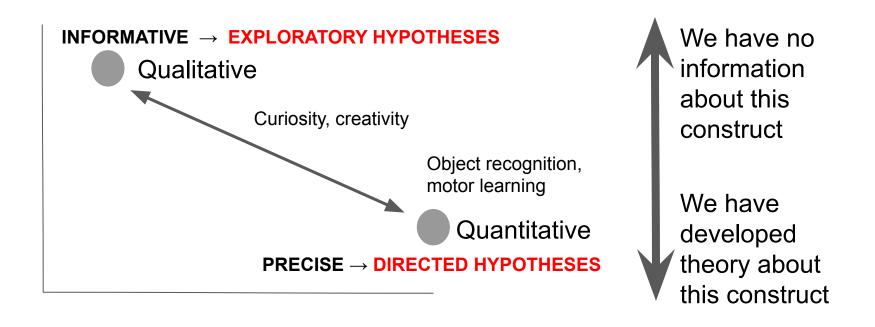
#### How specific should our hypotheses be?



#### How specific should our hypotheses be? It depends.



#### How specific should our hypotheses be? It depends.



# Hypothesis generation

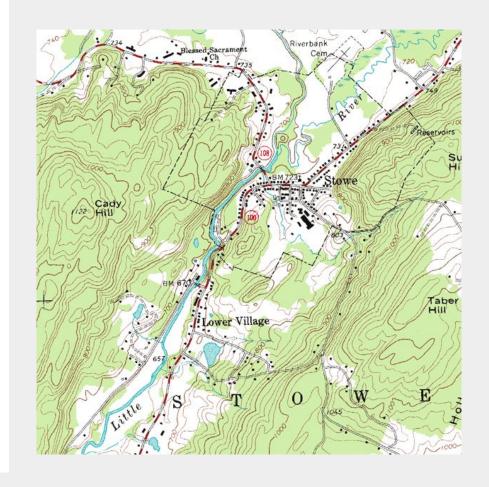
# Let's pretend we're interested in decision-making.



https://www.dreamstime.com/dog-choosing-food-jack-russell-terrier-looks-donut apple-dog-choosing-food-jack-russell-terrier-looks-image212511914

# Grasp what we know.

In order to build new things, understand old things. So read read read. We read about the learning processes that drive decision-making and think.



# Find the gap.

We find there's little work on how information seeking interacts with reinforcement-driven decisions.



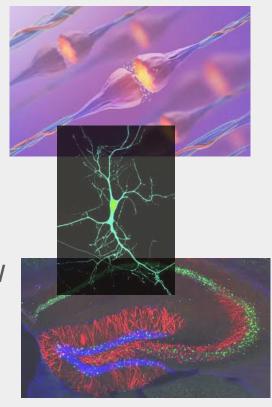
# Change the level of abstraction.

We find there's little work on the neural systems that guide decision-making at the molecular scale. There are clues in the mesoscale dynamics.

Microscale: Molecular Neuro

Mesoscale: Cellular

Macroscale: Circuit-level / whole-brain dynamics



# Draw a connection between fields.

Giving machine learning algorithms "imagination" (AKA data augmentation) improves "decision-making" for increased prediction accuracy. There's emerging work on imagination benefitting learning in humans, which is related to decision-making. Does a similar algorithm drive adaptive decision making in humans?



Machine-learning  $\rightarrow$  neuro.



# Extend a finding.

Under what conditions does information-seeking drive decisions more than reinforcement does?

# Qualify conditions under which a finding is true.

Conditional	$p \rightarrow q$
Converse	$q \rightarrow p$
Inverse	$\sim p \rightarrow \sim q$
Contrapositive	$\sim q \rightarrow \sim p$
Biconditional	"p if and only if q"

# Hypothesis testing

#### Kinds of statistical testing

**Parametric:** Relies on hard assumptions (parameters) about the distribution of your data (often normality among others)

Frequentist: relies on a binary decision rule about statistical significance, often with a threshold of p <= .05

**Non-parametric:** Minimizes assumptions about your data; often computationally intensive

Bayesian: quantifies the degree of belief in a hypothesis according to the strength of the evidence

#### Different approaches to statistical error

#### Frequentist

- Type 1: rejecting the null hypothesis when it's actually true
- Type 2: failing to reject the null hypothesis when it's actually false
- Confidence intervals express estimation uncertainty

#### Bayesian

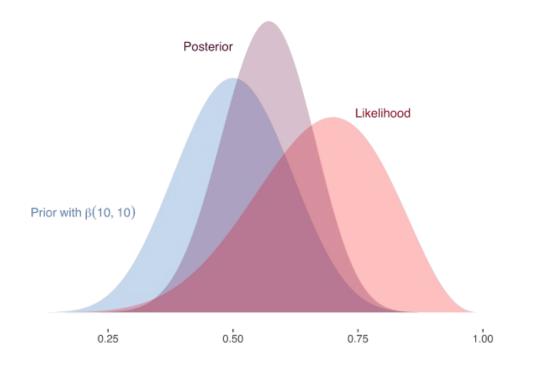
- "Minimum Bayes risk criterion" quantifies estimation error (Bayesian answer to Type 1 / Type 2 error)
- "Credible intervals" express estimation uncertainty

Posterior = likelihood \* (prior /
evidence)

Prior = previous belief

Likelihood = likelihood of a hypothesis given the data

Posterior = updated belief



#### **Cognitive Neuroscience Research Methods**

0.00

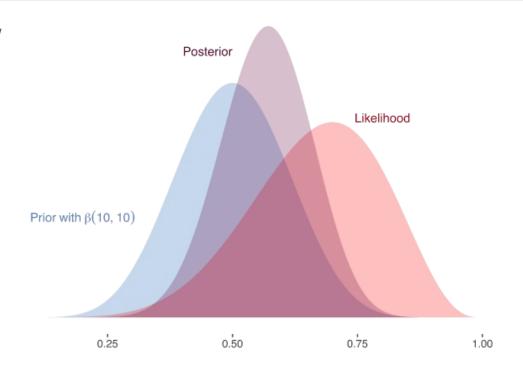
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Strength of evidence shifts the posterior distribution (distance between prior and likelihood)



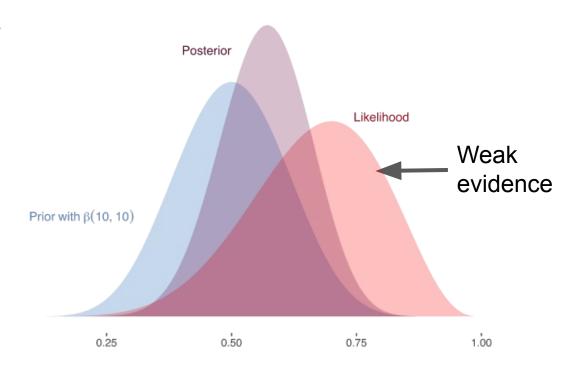
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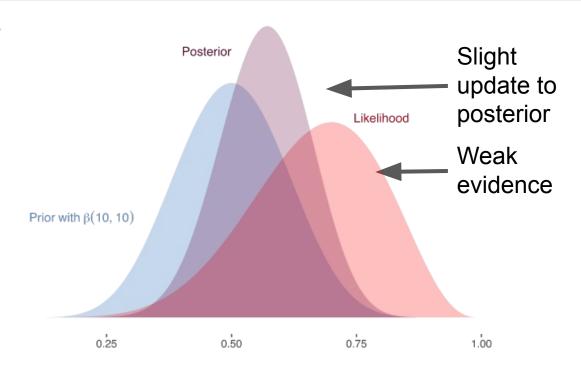
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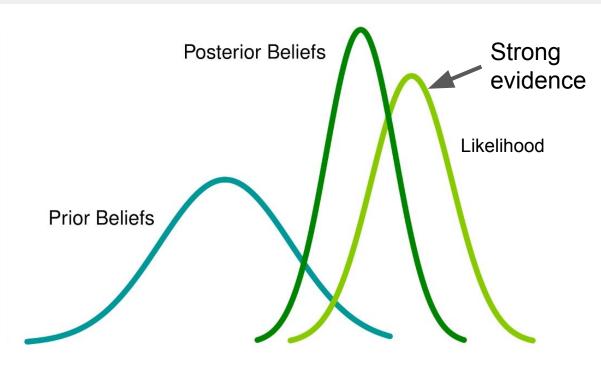
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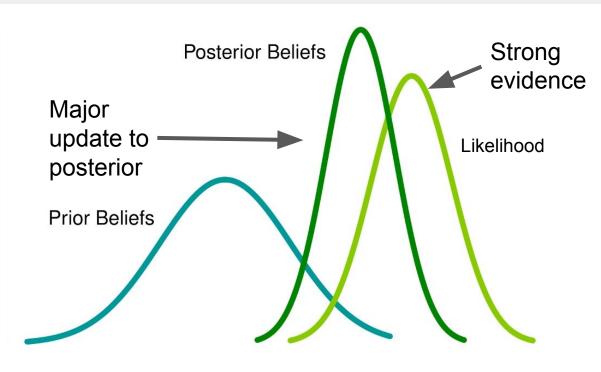
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**Strength of evidence** shifts the posterior distribution (distance between prior and likelihood)



# Frequentist approach: Rejecting or accepting a null

**Null Hypothesis (H\_0):** A hypothesis predicting a default state of the world

H\_0: "There are no areas that preferentially respond to edges"

Null Prediction (P\_0): "All areas will respond equally as strong to images of faces as to images of objects"

**Research Hypothesis (H\_r):** One of many hypotheses that describe a deviation from the null hypothesis

H\_r: "There are specific brain regions that preferentially respond to edges."

Research Prediction (P\_r): "There are a specific set of areas that will respond more to images of edges than images of objects"

# Interpreting evidence

#### A *p*-value in NHST is an existence claim.

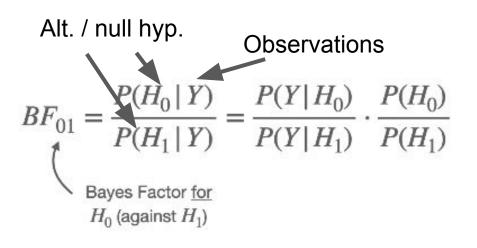
P-values alone do not tell you about the size of an effect, simply that it exists.

The alpha level is often set to  $.05 \rightarrow 5\%$  chance that the null hypothesis would be true given the observed data

Null (nil) hypotheses in Null Hypothesis Statistical Testing (NHST) are often a comparison with 0.

# A Bayes factor quantifies degree of evidence for hyp.

Bayes factors quantify the amount of evidence you have for your research hypothesis(es) relative to your alternative hypothesis(es) as a ratio.



- Determine the <u>relative</u> evidence for one hypothesis against the other.
- BF<sub>ij</sub> identifies whether the observed data are more likely to arise from hypothesis i (H<sub>i</sub>) than from hypothesis j (H<sub>j</sub>).

# A Bayes factor quantifies degree of evidence for hyp.

No equivalent of p < 0.05 for BFs, so have to make inferential heuristics based on the strength of evidence.

$BF_{01}$	$P(H_0 \mid Y)$	Evidence
1-3	0.50-0.75	weak
3-20	0.75-0.95	positive
20-150	0.95-0.99	stong
>150	>0.99	very strong

A hypothesis is a prediction tested with experimentation.

#### Fun for today

- Develop a hypothesis.
- 2. Test it.
  - Describe construct
  - b. Describe operationalization
  - c. Design an experiment. Include specific IVs and DVs.
  - d. Describe the method, including data collection and the stat. tests you would use.
- 3. Imagine the results. Draw and interpret them.
- Communicate the results in an abstract using the CCC rule and submit them.

# **Next 3 classes = paper presentations**

